

About a problem of controlling a random walk on integer points plane ¹

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There k productions, producing two products. Each of the plants is characterized by its set of transition probabilities for the production of j , this set will denoted by $\{p_{i,j}\}, i = 1, \dots, n, j = 1, \dots, k$. Natural to assume that each of the industries is preferable to one of the products, wherein a plurality of all walks divided into two groups by preference.

Objective is to identify in each integer point plane random walk of a given set so that minimize the likelihood of the first quadrant.

Let $(\cos \varphi, \sin \varphi)$ - food prices. For each pair walks (i, j) (one from each group) we consider the walk on the line generated by these prices. Naturally consider only agreed prices (introduced [1]) as soon as they are associated with optimum control.

Asymptotics of degeneracy for c - policy generated agreed prices and a pair of walks (i, j) , is defined dimensional parameters $\lambda_{i,j}$, which can be order.

In [2] it was shown that for the agreed price angle φ must be chosen so to satisfy the equation

$$\lambda_{i,j} = \sqrt{\mu^2 + \lambda^2}.$$

Here, the pair (λ, μ) - solution associated system (see [1]) that occurs for the corresponding pair of walks.

Thereby, a plurality of pairs should be chosen such that $\sqrt{\mu^2 + \lambda^2}$ is maximal.

REFERENCES

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